

- Distribution of n - particles in two boxes of equal size (1.22)
- $S = k \log W$. (Boltzmann's relation)
- Tabular form of distribution [3 particles in 2 boxes / 4 particle in 2 boxes]
- Combination possessing maximum probability
- Micro & Macrostate, thermodynamic probability
- Condⁿ of equilibrium b/w two systems in thermal contact (β - parameter)
- Deviation from the state of Max. probability $P_X = P_{\text{max}} e^{-nF_X}$
- n coins tossed together the $P(\text{getting head}) = \frac{n!}{n!(n-1)!} \times \frac{1}{2^n}$
- n - particles distributed in 2 boxes of equal size
- Stirling's approximation
- Constraints and accessible states of system
- Postulates of statistical Physics
- Equally prior probability and its significance.
- Expression for the probability of a macrostate which deviates by a small amt from most probable macrostate.
- Numericals
- Binomial thm of probability

- M.B. Statistics & Expression $n(p)dp = 4\pi n \left(\frac{\beta}{2\pi m} \right)^{3/2} p^2 e^{-\frac{\beta p^2}{2m}} dp$.
- Phase space & expression for number of cell in phase space $g(p)dp = V \times \frac{4\pi p^2 dp}{3 h^3}$
- R.M.S., Average speed, root mean \rightarrow Numericals
- Elementary volume of cell in phase space for quantum cannot be zero.
- M.B. Law of energy Distribution $n_i = g_i e^{-\alpha - \beta u_i}$
- Expression for Root mean square velocity for M.B. / most probable / Average
- No. of possible arrangements of 3 particles in 3 cells in M.B. / B.E. / F.D.
- $d(\log W) - \sum (\alpha + \beta u_i) dn_i = 0$
- states MB / BE & FD statistics \neq Classical & Quantum statistics
- Maxwell distribution of speed with graph.
- $P(v)dv = \frac{4}{\sqrt{\pi}} \left(\frac{m}{2kT} \right)^{3/2} v^2 e^{-\frac{mv^2}{2kT}} dv$
- Bosons & Fermions.

~~Assumption~~ Assumption of B.E. statistics & $n_i = \frac{g_i}{e^{\alpha \beta E_i - 1}}$

e^- gas? Expression for Fermi energy of electrons in metal using F.D.

~~Assumption~~ Assumption of Fermi-Dirac & $n_i = \frac{g_i}{e^{\alpha \beta E_i - 1}}$

M.B. distribution is limiting of B.E.

~~Assumption~~ B.E. Condensation. & $n_0 = n \left[1 - \left(\frac{T}{T_0} \right)^{3/2} \right]$ for $T < T_0$

~~Assumption~~ Planck's law for blackbody radiation: $E(\lambda) d\lambda = \frac{8\pi hc}{\lambda^5} \frac{d\lambda}{e^{hc/\lambda kT} - 1}$

Einstein's theory of specific heat $C_V = \frac{3Nk_B e^{\theta_E/T}}{(e^{\theta_E/T})^2 - 1} \left(\frac{\theta_E}{T} \right)^2 = 3Nk_B \left(\frac{\theta_E}{T} \right)^2 e^{-\theta_E/T}$ IVth unit

Diff. b/w Bosons & Fermions

Fermigas & Expression for the energy of Fermigas at absolute zero.

Degenerate gas

~~Assumption~~ Einstein theory of specific heat of solids, \rightarrow Success & shortcoming

Debye temp & Debye Juz. \rightarrow Prove $E \propto T^4$

~~Assumption~~ Dulong & Petit's law

~~Assumption~~ Debye's model of specific heat of solids & T^3 -Law

Compare Debye & Einstein theories of specific heat of solid

Phonons? Umitation of Debye model.

Vibration modes in continuous medium.

$$C_V = \frac{dQ}{dT} \Rightarrow dQ = \frac{n k_B T^3}{Q^{3/2}} dV \quad (\text{IV}^{\text{th}})$$

Einstein temp = ?

frequency = ?